

Set 1

11: The actual definition of the word tangent comes from the Latin word tangere, meaning “to touch” in mathematics the tangent line touches the graph at a circle at only one point and function values of $\tan \theta$ are obtained from the length of the line segment tangent to a unit circle. Can the line segment ever be greater than 1700 units long?

12: Use the information given to write a sinusoidal and sketch its graph, then choose the appropriate equation and graph below. Max 160; min 20; P=90°

13: In Vancouver British Columbia the number of hours of daylight reaches a low of 7.4hrs in January, and a high of nearly 14.1 hr in July. Find a sinusoidal equation model for the number of daylight hours each month. Assume $t=0$ corresponds to January 1st round final and intermediate answers to one decimal place if necessary.

14: Identify the amplitude (A), Period (P), horizontal shift (HS), Vertical shifts (VS), and end points of the primary interval (PI) for each function given. $Y=284\sin(\pi/12t + 4\pi/3)+226$

15: Find the sinusoidal equation for the information given. If necessary round calculations to the nearest hundredth. Minimum value at (6, 8280); max value at (22, 23126); period 32year.

Set 2

1: Fill in the blank with the appropriate word or phrase. Two fundamental reciprocal identities are: $\sin \theta = 1/\text{csc } \theta$? And $\cos \theta = 1/\text{sec } \theta$?

2: Verify the equation is an identity using factoring and fundamental identities. $\tan^2 x \csc^2 x - \tan^2 x = 1$. Is this equation an identity?

3: write the given function entirely in terms of the second function indication. Sec x in terms of tan x.

4: Is this equation an identity? $\sqrt{\sin^2 x - 64} = \sin x - 8$?

5: writing a given expression in an alternative form is an idea used at all levels of mathematics. In future classes, it is often helpful to decompose a power into smaller powers (as in writing A^3 as $A \cdot A^2$) or to write an expression using known identities so it can be factored. Can $6\sin^2 x \cos x - \sqrt{10\sin^2 x}$ be factored into $(1-\cos x)(1+\cos x)(6\cos x - \sqrt{10})$?

6: Is this equation an identity? $\frac{\tan x}{1 + \sec x} = \frac{\sec x - 1}{\tan x}$

7: Is this equation an identity? $\frac{\csc x}{\cot x + \tan x} = \cos x$

8: Is this equation an identity? $(\csc x + \cot x)^2 = \frac{(\cos(x+1))^2}{\sin^2 x}$

9: Fill in each blank with the appropriate word or phrase. Two fundamental Pythagorean identities are?
 $\sin^2 \theta + \cos^2 \theta = 1$ and $1 + \tan^2 \theta = \sec^2 \theta$

10: Find the exact value of the given expression? $\cos\left(\frac{3\pi}{60}\right) \cos\left(\frac{7\pi}{60}\right) - \sin\left(\frac{3\pi}{60}\right) \sin\left(\frac{7\pi}{60}\right)$

11: Rewrite as a single expression. $\sin\left(\frac{x}{5}\right) \cos\left(\frac{x}{7}\right) + \cos\left(\frac{x}{5}\right) \sin\left(\frac{x}{7}\right)$

12: Find the exact value of the expression using a sum or difference identities. $\sin 135^\circ$

13: Given α and β are acute angles with $\cos \alpha = \frac{8}{17}$ and $\sec \beta = \frac{15}{12}$, find $\sin(\alpha + \beta)$?

14: Is this equation an identity? $\cos(\alpha + \beta) + \cos(\alpha - \beta) = 2 \cos \alpha \cos \beta$?

15: Find exact values for $\sin(20)$, $\cos(20)$, and $\tan(20)$ using the information given. $\cot(\theta) = -\frac{21}{20}$; θ in QII