

6.6)

* SOLVE PART ^{A & B} ~~PART~~ ON PAPER; ^{PART "C"} ~~PART~~ IN "MATLAB"

Suppose that we replace our Dirichlet boundary conditions with the following Neumann boundary conditions:

$$\left. \frac{\partial T}{\partial x} \right|_{x = -\frac{L}{2}} = \left. \frac{\partial T}{\partial x} \right|_{x = \frac{L}{2}} = 0$$

[A]. Using the method of images, find the solution $T(x, t)$ for the initial condition, $T(x, 0) = \delta(x)$ ^(delta)
[PAPER]

[B]. Using the method of images, find the solution $T(x, t)$ for the initial condition, $T(x, 0) = \delta(x - \frac{L}{4})$
[PAPER]

[C]. Modify the attached program $\rightarrow$ "df+cs" to implement these boundary conditions by setting
 $T_1^n = T_2^n$ AND $T_N^n = T_{N-1}^n$,

Compare the programs output with the results from parts [A] & [B]. Explain why the spatial discretization is $x_i = (i - \frac{3}{2})h - \frac{L}{2}$

With $h = \frac{L}{N-2}$ for these boundary conditions.

[MATLAB]