Name\_\_\_(Read Only Copy)\_

Use the Word document Template provided for this test. Place the letter in the right hand column.

Be sure to show ALL work that leads to your letter choice, on the Test Template.

If the required work is missing, there will be NO credit given for that problem

Return your complete Test Template, as an attached Word document.

31 Problems: 8 Points each

MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

Compute r, the coefficient of correlation.

1) The test scores of 6 randomly picked students and the number of hours they prepared are as follows:

1)

Hours 4 10 5 5 3 3 Score 54 99 56 99 70 72

A) -.6781

- B) -.2241
- C) .2015
- D) .6039

Determine the equation of the line described. Put answer in the slope-intercept form, if possible.

2) Through (2, -8), parallel to -7x - 5y = 6

2) \_\_\_\_

- A)  $y = -\frac{7}{5}x \frac{26}{5}$  B)  $y = \frac{7}{5}x + \frac{26}{5}$  C)  $y = \frac{2}{5}x \frac{6}{5}$  D)  $y = -\frac{5}{7}x + \frac{8}{7}$

Solve the problem.

3) Northwest Molded molds plastic handles which cost \$1.00 per handle to mold. The fixed cost to run the molding machine is \$4461 per week. If the company sells the handles for \$4.00 each, how many handles must be molded weekly to break even?

- A) 892 handles
- B) 991 handles
- C) 4461 handles
- D) 1487 handles
- 4) Find an equation for the least squares line representing weight, in pounds, as a function of height, in inches, of men. Then, predict the height of a man who is 145 pounds to the nearest tenth of an inch. The following data are the (height, weight) pairs for 8 men: (66, 150), (68, 160), (69, 166), (70, 175), (71, 181), (72, 191), (73, 198), (74, 206).

- A) 63.2 inches
- B) 68.2 inches
- C) 64.6 inches
- D) 65.7 inches

Write a cost function for the problem. Assume that the relationship is linear.

5) An electrician charges a fee of \$50 plus \$35 per hour. Let C(x) be the cost in dollars of using the electrician for x hours.

- A) C(x) = 35x 50
- B) C(x) = 50x + 35
- C) C(x) = 50x 35
- D) C(x) = 35x + 50

Write an equation for the line. Use slope-intercept form, if possible.

6) Through (-6, 5) and (-2, 8)

- A)  $y = -\frac{11}{10}x + \frac{51}{5}$  B)  $y = -\frac{3}{4}x + \frac{19}{2}$  C)  $y = \frac{11}{10}x + \frac{51}{5}$  D)  $y = \frac{3}{4}x + \frac{19}{2}$

Find the inverse, if it exists, for the matrix.

$$7) \begin{bmatrix} 1 & 6 \\ 3 & 6 \end{bmatrix}$$

A) 
$$\begin{bmatrix} -\frac{1}{2} & \frac{1}{2} \\ \frac{1}{4} - \frac{1}{12} \end{bmatrix}$$

B) 
$$\begin{bmatrix} -\frac{1}{12} & \frac{1}{2} \\ \frac{1}{4} - \frac{1}{2} \end{bmatrix}$$

C) 
$$\begin{bmatrix} -\frac{1}{2} & -\frac{1}{2} \\ -\frac{1}{4} & -\frac{1}{12} \end{bmatrix}$$

B) C) D) 
$$\begin{bmatrix} -\frac{1}{2} & \frac{1}{2} \\ \frac{1}{4} - \frac{1}{12} \end{bmatrix} \qquad \begin{bmatrix} -\frac{1}{12} & \frac{1}{2} \\ \frac{1}{4} - \frac{1}{2} \end{bmatrix} \qquad \begin{bmatrix} \frac{1}{4} - \frac{1}{12} \\ -\frac{1}{4} & -\frac{1}{12} \end{bmatrix}$$

Perform the indicated operation where possible.

8) 
$$\begin{bmatrix} -3x - 10y & 6x + 9y \\ -6x - 3y & -9x - 7y \end{bmatrix} + \begin{bmatrix} -9x + 3y & -3x \\ 3y - 9x & 2x + 2y \end{bmatrix}$$
A) 
$$\begin{bmatrix} 6x - 13y & 9 + 9y \\ 9x & 2x + 2y \end{bmatrix}$$
B) 
$$\begin{bmatrix} -12x - 7y & 3x + 9y \\ -3x - 12y & -7x - 5y \end{bmatrix}$$
C) 
$$\begin{bmatrix} -12x - 7y & 3x + 9y \\ -15x & -7x - 5y \end{bmatrix}$$
D) 
$$\begin{bmatrix} -12x - 7y & 3x + 9y \\ 9x & -7x + 9y \end{bmatrix}$$

E) Not possible

## Solve the problem.

9) Suppose the following matrix represents the input-output matrix of a simplified economy with just 9) three sectors: manufacturing, agriculture, and transportation.

$$\begin{array}{c|cccc} & Mfg & Agri & Trans \\ Mfg & 0 & .25 & .33 \\ Agri & .50 & 0 & .25 \\ Trans & .25 & .25 & 0 \\ \end{array}$$

Suppose also that the demand matrix is as follows:

$$D = \begin{bmatrix} 531 \\ 274 \\ 149 \end{bmatrix}$$

Find the amount of each commodity that should be produced.

- A) 1158 units of manufacturing, 1093 units of agriculture, and 742 units of transportation.
- B) 707 units of manufacturing, 654 units of agriculture, and 85 units of transportation.
- C) 965 units of manufacturing, 911 units of agriculture, and 618 units of transportation.
- D) 965 units of manufacturing, 1093 units of agriculture, and 618 units of transportation.

Solve the system of equations by using the inverse of the coefficient matrix.

10) 
$$x - y + z = -6$$
  
 $x + y + z = -10$   
 $x + y - z = 0$   
A)  $(-3, -2, -5)$   
B)  $(-3, -5, -2)$   
C)  $(-5, -3, -2)$   
D) No inverse, no solution for system

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Use the echelon method to solve the system of three equations in three unknowns.

11) 
$$x - y + 4z = 19$$

$$2x + z = 4$$
  
 $x + 3y + z = -5$ 

B) 
$$(4, -3, 0)$$

C) 
$$(0, -3, 4)$$

Solve the problem.

12) An appliance store sells two types of refrigerators. Each Cool-It refrigerator sells for \$640 and each Polar sells for \$740. Up to 330 refrigerators can be stored in the warehouse and new refrigerators are delivered only once a month. It is known that customers will buy at least 80 Cool-Its and at least 100 Polars each month. How many of each brand should the store stock and sell each month to maximize revenues?

h 12)

11)

13)

14) \_\_\_\_

15)

A) 95 Cool-Its and 235 Polars

B) 80 Cool-Its and 250 Polars

C) 230 Cool-Its and 100 Polars

D) 310 Cool-Its and 175 Polars

Solve using artificial variables.

13) Maximize 
$$z = 5x_1 + 4x_2$$

subject to: 
$$x_1 + 2x_2 = 15$$

$$x_1 + x_2 \ge 12$$

$$2x_1 + x_2 \le 30$$
  
 $x_1 \ge 0, x_2 \ge 0$ 

A) Maximum is 75 for 
$$x_1 = 15$$
,  $x_2 = 0$ 

B) Maximum is 63 for 
$$x_1 = 11$$
,  $x_2 = 2$ 

C) Maximum is 60 for 
$$x_1 = 0$$
,  $x_2 = 15$ 

D) Maximum is 57 for 
$$x_1 = 9$$
,  $x_2 = 3$ 

Solve using the simplex method.

14) Find 
$$x_1 \ge 0$$
 and  $x_2 \ge 0$  such that

$$3x_1 + 3x_2 \ge 60$$

$$2x_1 + 5x_2 \le 120$$

and  $z = 5x_1 + 4x_2$  is maximized.

A) 
$$x_1 = 40$$
,  $x_2 = 8$ ,  $z = 232$ 

C) 
$$x_1 = 30$$
,  $x_2 = 20$ ,  $z = 230$ 

B) 
$$x_1 = 60$$
,  $x_2 = 0$ ,  $z = 300$ 

D) 
$$x_1 = 0$$
,  $x_2 = 24$ ,  $z = 96$ 

State the dual problem. Use  $y_1, y_2, y_3$  and  $y_4$  as the variables. Given:  $y_1 \ge 0, y_2 \ge 0, y_3 \ge 0$ , and  $y_4 \ge 0$ .

15) Minimize 
$$w = 6x_1 + 3x_2$$

subject to: 
$$3x_1 + 2x_2 \ge 34$$

$$2x_1 + 5x_2 \ge 43$$

$$x_1 \ge 0, x_2 \ge 0$$

A) Maximize 
$$z = 34y_1 + 43y_2$$

subject to: 
$$3y_1 + 2y_2 \ge 6$$

$$2y_1 + 5y_2 \ge 3$$

C) Maximize 
$$z = 43y_1 + 34y_2$$

subject to: 
$$2y_1 + 3y_2 \le 6$$

$$5y_1 + 2y_2 \le 3$$

B) Maximize 
$$z = 43y_1 + 34y_2$$

subject to: 
$$2y_1 + 3y_2 \ge 6$$

$$5y_1 + 2y_2 \ge 3$$

D) Maximize 
$$z = 34y_1 + 43y_2$$

subject to: 
$$3y_1 + 2y_2 \le 6$$

$$2y_1 + 5y_2 \le 3$$

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The initial tableau of a linear programming problem is given. Use the simplex method to solve the problem.

x<sub>1</sub> x<sub>2</sub> x<sub>3</sub> s<sub>1</sub> s<sub>2</sub> z

16)

$$\begin{bmatrix}
4 & 2 & 1 & 1 & 0 & 0 & 4 \\
3 & 1 & 4 & 0 & 1 & 0 & 8 \\
\hline
-2 & 1 & -3 & 0 & 0 & 1 & 0
\end{bmatrix}$$

- A) Maximum at 4 for  $x_2 = 2$ ,  $s_1 = 2$
- B) Maximum at 12 for  $x_1 = 2$ ,  $x_3 = 2$
- C) Maximum at 6 for  $x_3 = 2$ ,  $s_1 = 2$
- D) Maximum at 8 for  $x_3 = 2$ ,  $s_1 = 2$

Use the simplex method to solve the linear programming problem.

17) Minimize 
$$w = 4y_1 + 4y_2$$

17)

subject to: 
$$5y_1 + 10y_2 \ge 100$$

$$10y_1 + 20y_2 \ge 150$$

$$y_1 \ge 0, y_2 \ge 0$$

A) 60 when 
$$y_1 = 0$$
 and  $y_2 = 20$ 

B) 10 when 
$$y_1 = 0$$
 and  $y_2 = 50$ 

C) 40 when 
$$y_1 = 0$$
 and  $y_2 = 10$ 

D) 20 when 
$$y_1 = 4$$
 and  $y_2 = 4$ 

Find the indicated probability.

18) The age distribution of students at a community college is given below.

18)

Age (years)	Number of students (f		
Under 21	414		
21-25	404		
26-30	200		
31-35	53		
Over 35	23		
	1094		

A student from the community college is selected at random. Find the probability that the student is at least 31. Round your answer to three decimal places.

A) 76

- B) 0.048
- C) 0.931
- D) 0.069

Find the probability.

- 19) A basketball player hits her shot 42% of the time. If she takes four shots during a game, what is the probability that she misses the first shot and hits the last three? Express the answer as a percentage, and round to the nearest tenth (if necessary). Assume independence of shots.
  - A) 3.1%
- B) 4.3%
- C) 43%
- D) 31.1%

Use the union rule to answer the question.

20) If 
$$n(B) = 36$$
,  $n(A \cap B) = 7$ , and  $n(A \cup B) = 63$ ; what is  $n(A)$ ?

20)

A) 27

B) 34

C) 36

D) 32

Find the probability of the following card hands from a 52-card deck. In poker, aces are either high or low. A bridge hand is made up of 13 cards.

21) In poker, a flush (5 in same suit) in any suit

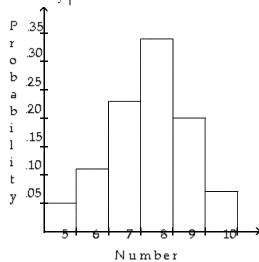
- A) .00198
- B) .00122
- C) .000495
- D) .000347

22) A class of 44 students took a 10-point quiz. The frequency of scores is given in the table.

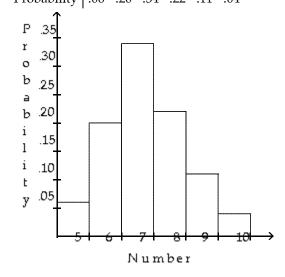
22)

	1 1
Number of	
Points	Frequency
5	2
6	5
7	10
8	15
9	9
10	_ 3
	Total: 44

A) Number 5 6 7 8 9 10 Probability .05 .11 .23 .34 .20 .07

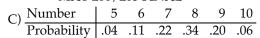


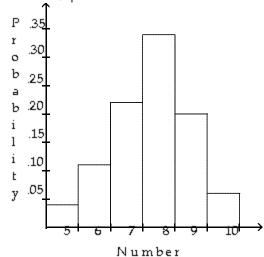
B) Number 5 6 7 8 9 10 Probability .06 .20 .34 .22 .11 .04

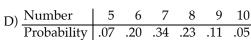


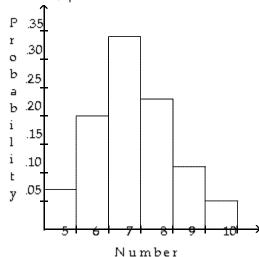
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Solve the problem.

- 23) In how many ways can 7 people be chosen and arranged in a straight line, if there are 9 people from whom to choose?
  - A) 144 ways
- B) 181,440 ways
- C) 72 ways
- D) 63 ways

To win the World Series, a baseball team must win 4 games out of a maximum of 7 games. To solve the problem, list the possible arrangements of losses and wins.

- 24) How many ways are there of winning the World Series in exactly 6 games if the winning team wins 24)
  - A) 3 ways

the last two games?

- B) 2 ways
- C) 6 ways
- D) 4 ways

Four accounting majors, two economics majors, and three marketing majors have interviewed for five different positions with a large company. Find the number of different ways that five of these could be hired.

25) There is no restriction on the college majors hired for the five positions.

25)

- A) 24 ways
- B) 120 ways
- C) 15,120 ways
- D) 3024 ways

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		ts can run the 100–yard da closely approximated by		econds with a standard deviati	ion of .9	
	Between 16.1 and		a normal curve. I mu me	percent of times that are.	26)	
20,	A) 12%	B) 27%	C) 34%	D) 13.6%		
Find the	probability of the	result using the normal cu	rve approximation to the	binomial distribution.		
Find the probability of the result using the normal curve approximation to the binomial distribution.  27) On a hospital floor, 60 patients have a disease with a mortality rate of 0.1. Five of them die.						
Ź	A) .163	B) .155	C) .666	D) .170	27)	
Find the	standard deviation	n of the data summarized i	in the given frequency tal	ole.		
	) The heights of a g	roup of professional baske	tball players are summari	zed in the frequency table	28)	
	below. Find the st	tandard deviation. Round	your answer to one decima	al place.		
	Height (in.)	Frequency				
	70 - 71	3				
	72 – 73	7				
	74 <i>- 7</i> 5	16				
	76 – 77	12				
	78 - 79	10				
	80 - 81	4				
	82 - 83	1				
	A) 3.3	B) 2.8	C) 2.9	D) 3.2		
Solve the	e problem using th	e normal curve approxima	ation to the binomial distr	ribution.		
	_			ssible answers of which one is	29)	
	correct. If all ansv	vers are random guesses, e	stimate the probability of	getting at least 20% correct.		
	A) .8508	B) .0901	C) .3508	D) .1492		
Solve the	e problem. Round	to the nearest hundredth,	if necessary.			
30)		0 11		ob at a given company each	30)	
	month of 1999: 64	, 67, 94, 76, 78, 82, 87, 88, 90	, 94, 73, 64. What is the me	an of the data?		
	A) 74.42		B) 79.75			
	C) 95.7		D) There is no m	ean.		
	500 coins are tosse ated results.	ed. Using the normal curve	e approximation to the bir	nomial distribution, find the p	probability of	
31)	240 heads or more	e			31)	
ŕ	A) .829	B) .874	C) .816	D) .826	· <u></u>	