Assume that T and U are linear operators on $R^{3}$, that UT = -TU and that UT has three distinct eigenvalues. Prove that one of the eigenvalues must be zero. (Hint: do the proof by contradiction: Assume the hypotheses and assume that none of the eigenvalues are zero. UT is one to one and therefore T is one to one.)